

### Problem Solving Steps

- List givens
- Make appropriate assumptions (see chart)
- Write equation
- Substitute givens WITH UNITS
- Solve for unknown and write answer WITH UNITS

### Assumptions

Action	$v_i$	$v_f$	$a$	$d$
"from rest"	= 0	≠ 0	≠ 0	≠ 0
"comes to rest"	≠ 0	= 0	≠ 0	≠ 0
"constant speed"	≠ 0	≠ 0	= 0	≠ 0
"dropped"	= 0	negative	= g	negative
"thrown up"	positive	0 (at top)	= g	positive
"thrown down"	negative	negative	= g	negative

## Kinematics Review Map

### Equations

$$\bar{v} = \frac{\Delta d}{t}$$

$$\bar{v} = \frac{v_1 + v_2}{2}$$

$$a = \frac{\Delta v}{t}$$

$$v_f = v_i + at$$

$$d = v_i t + \frac{1}{2} at^2$$

$$v_f^2 = v_i^2 + 2ad$$

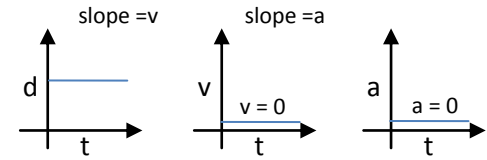
### vectors

magnitude and direction  
displacement  
velocity  
acceleration

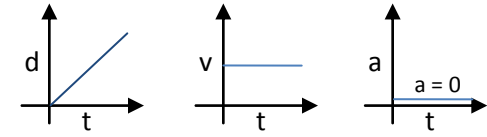
### scalars

magnitude only  
distance  
speed  
time

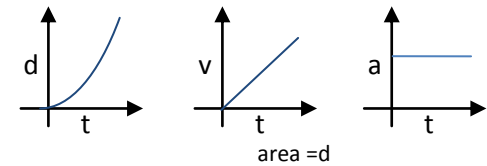
Constant displacement - motionless



Constant velocity - displacement changes at constant rate



Constant acceleration - velocity changes at constant rate



### Two Dimensional Problems

#### Constant Velocity

$$a_x = 0$$

$$a_y = 0$$

$$v_{res}^2 = v_x^2 + v_y^2$$

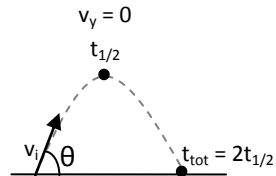
ex. River Problem

A man swims east across a 30 meter wide river at 2m/s. At the same time, a current pushes him south at 0.5 m/s.

X	Y
$a = 0$	$a = 0$
$v = 2 \text{ m/s}$	$v = 0.5 \text{ m/s}$
$d = 30 \text{ m}$	

Using the x direction we can find that it will take 15s to get across. Using this we can find that the person will drift 7.5 m south before getting across.

#### Ground Launched Projectiles



X	Y
$a_x = 0$	$a_y = -9.81 \text{ m/s}^2$
$v_{ix} = v_i \cos \theta$	$v_{iy} = v_i \sin \theta$
	$v_y = 0 \text{ (at top)}$

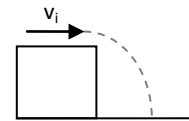
Use  $0 = v_{iy} + a_y t$  to find Time to Top

Total time = 2 x Time to Top

Use  $d = v_i t + \frac{1}{2} at^2$  to find vertical or horizontal distance

**\* Be careful to keep horizontal and vertical quantities separate!**

#### Horizontal Projectiles

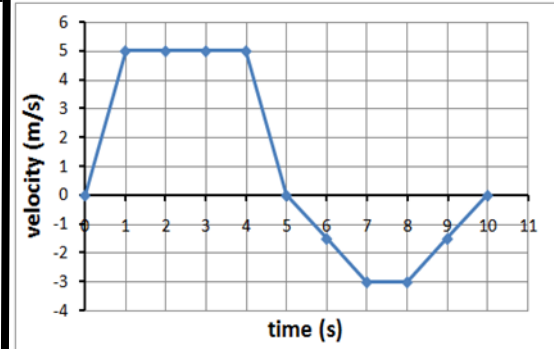


X	Y
$a_x = 0$	$a_y = -9.81 \text{ m/s}^2$
$v_{ix} = v_i$	$v_{iy} = 0$

ONLY use  $d = v_i t + \frac{1}{2} at^2$  to solve.

Time is the same in either dimension

**\* Be careful to keep horizontal and vertical quantities separate!**



#### Displacement/Distance from v-t Graph

Can be calculated by looking at area under the graph!

Area on top = + displacement

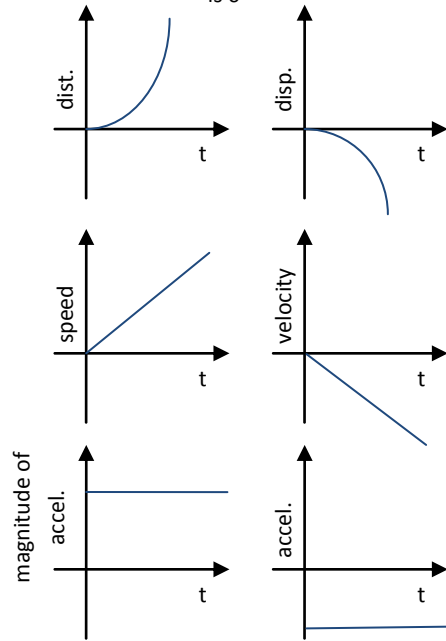
Area on bottom = - displacement

Both areas = + distance

0-1 s	1-4 s	5-7 s	0-10 s
disp = +2.5 m	disp = +15 m	disp = -3 m	disp = +11 m
dist = 2.5 m	dist = 15 m	dist = 3 m	dist = 29 m

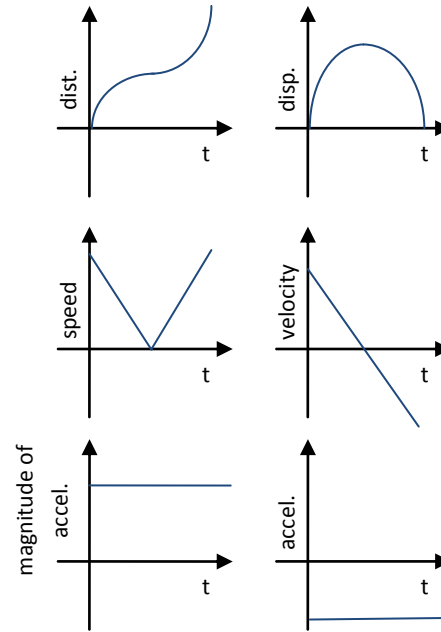
### Freefall Graphs

Assuming  $v_i = 0$  and starting position is 0



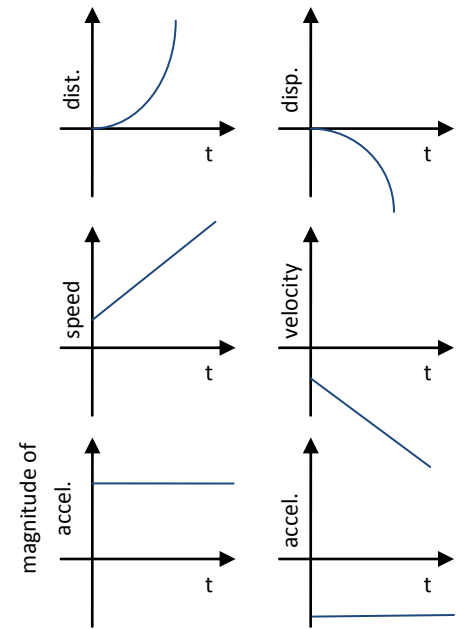
### Thrown Upward Graphs

Assuming  $v_i > 0$  and starting position is 0



### Thrown Downward Graphs

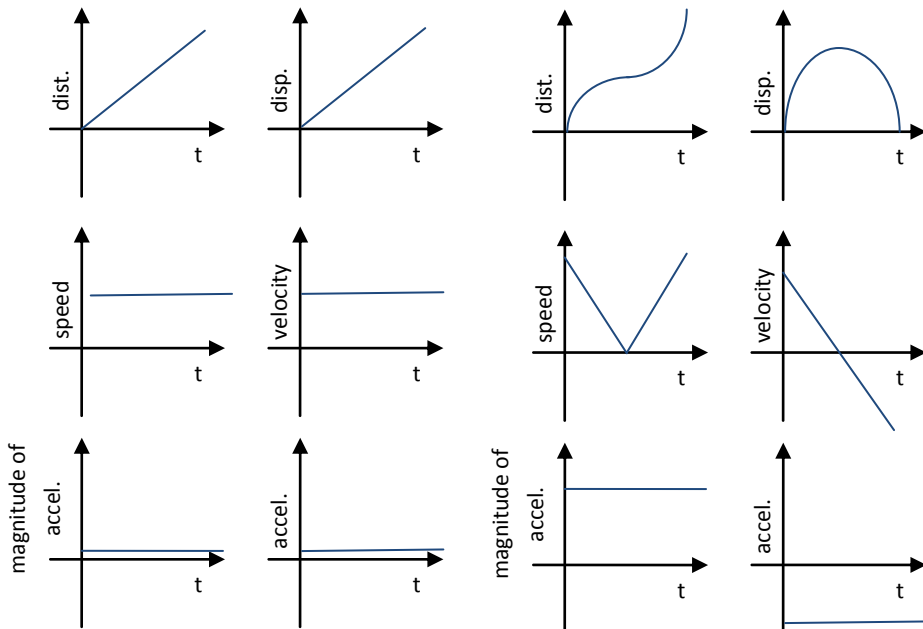
Assuming  $v_i < 0$  and starting position is 0



### Ground Launched Projectile Graphs

#### Horizontal

#### Vertical



### Horizontal Projectile Graphs

#### Horizontal

#### Vertical

